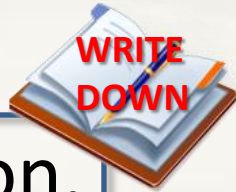




# Speed

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# *The Nature of Movement*



- When something moves, it changes position.
  - Consider someone on a train reading a book.

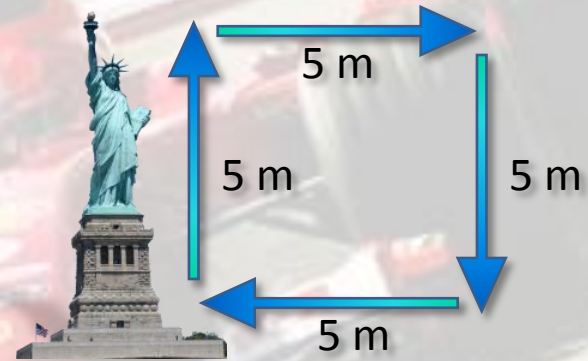


- As the train passes, someone on the platform sees the book moving by.
  - The passenger sees the book staying in place.
- Motion is relative to some reference point.



# *Distance vs. Displacement*

- You take the following walk from the Statue of Liberty (your reference point).
  - First you walk 5 m north.
  - Then you walk 5 m east.
  - You head 5m south.
  - Finally, you go 5 m west.
- You walked a distance of 20 m, but you didn't go anywhere.
- Your distance from a reference point is your displacement.
- In this case, the displacement is 0 (zero).



# Calculating Speed

- Examine the speed limit sign.
- Note the “MPH.”
- MPH means *speed* in *miles per hour*.
  - “Miles” refers to distance.
  - “Per” means divided by.
  - “Hour” refers to time.



- $\text{speed} = \frac{\text{distance}}{\text{time}}$     also  $s = \frac{d}{t}$     or  $v = \frac{d}{t}$
- Definition: speed = the distance per unit of time.





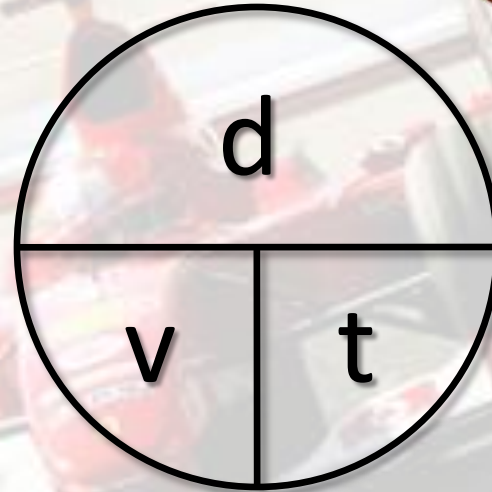
## *More on Calculating Speed*



- If  $v = \frac{d}{t}$ , then

- $d = vt$  ; and

- $t = \frac{d}{v}$



- These are the equations used to do calculations with respect to speed.

# Sample Problems



- **Problem 1**: A 400. km trip takes 4 hours. What was the speed of the trip?

$$v = \frac{d}{t} = \frac{400. \text{ km}}{4 \text{ h}} = 100 \text{ km/h}$$

- **Problem 2**: How long does it take to run a 500. m dash at a speed of  $7.0 \text{ m/s}$ ?

$$t = \frac{d}{v} = \frac{500. \text{ m}}{7.0 \text{ m/s}} = 71 \text{ s}$$

- **Problem 3**: How far can you go in 20 s at a speed of  $35 \text{ m/s}$ ?

$$d = vt = (35 \text{ m/s})(20 \text{ s}) = 700 \text{ m}$$

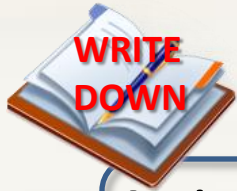
# *Average Speed/Instantaneous Speed*

- It's not likely that someone travelled at exactly  $100 \text{ km/h}$  for 4 h as described in Problem 1.
- It is more reasonable to assume that  $100 \text{ km/h}$  was the average speed or that it was the speed at some instant during the trip.

- Average speed = total distance divided by total time.
- Instantaneous speed = speed at a given instant in time.



# Graphing Speed



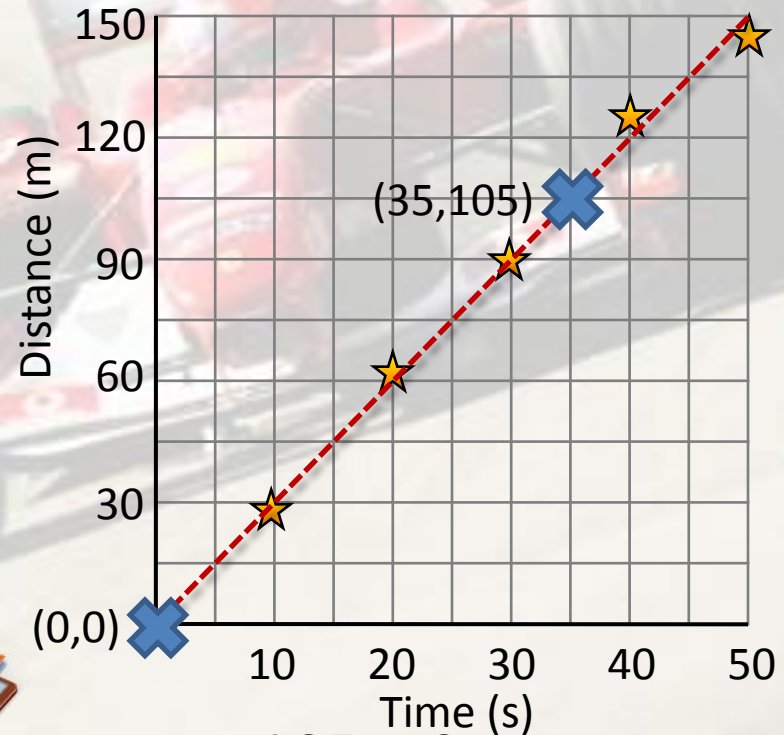
- A time-distance graph shows speed.

Time (s)	Distance (m)
10	29
20	61
30	90
40	122
50	148

- With time on the X-axis, and distance on the Y-axis, the slope is the speed.



- Plot the points.
- Draw the best line.
- Determine the slope



- $m = \frac{105 - 0}{35 - 0} = 3 \text{ m/s}$





# *Velocity*

- Velocity = speed and direction of an object.
  - Speed is the magnitude or size of velocity.
  - That is why the speed formula is often written:  
$$v = \frac{d}{t}$$
  - If the direction of a moving object changes, the velocity changes even if the speed remains the same.
- Speed and velocity are often used interchangeably even though speed is only part of velocity.